

The Pan-Pacific Planet Search – VIII. Complete results and the occurrence rate of planets around low-luminosity giants

Robert A. Wittenmyer¹,¹★ R. P. Butler,² Jonathan Horner,¹ Jake Clark,¹ C. G. Tinney,³ B. D. Carter,¹ Liang Wang,⁴ John Asher Johnson⁵ and Michaela Collins⁶

¹University of Southern Queensland, Centre for Astrophysics, USQ Toowoomba, QLD 4350, Australia

²Department of Terrestrial Magnetism, Carnegie Institution of Washington, 5241 Broad Branch Road, NW, Washington, DC 20015-1305, USA

³School of Physics and Australian Centre for Astrobiology, University of New South Wales, Sydney 2052, Australia

⁴Nanjing Institute of Astronomical Optics and Technology, Chinese Academy of Sciences, Bancang Street 188, Nanjing 210042, China

⁵Harvard-Smithsonian Center for Astrophysics, 60 Garden Street, Cambridge, MA 02138, USA

⁶Department of Physical Sciences, Kutztown University, Kutztown, PA 19530, USA

Accepted 2019 November 26. Received 2019 November 22; in original form 2019 October 18

ABSTRACT

Our knowledge of the populations and occurrence rates of planets orbiting evolved intermediate-mass stars lags behind that for solar-type stars by at least a decade. Some radial velocity surveys have targeted these low-luminosity giant stars, providing some insights into the properties of their planetary systems. Here, we present the final data release of the Pan-Pacific Planet Search (PPPS), a 5 yr radial velocity survey using the 3.9 m Anglo-Australian Telescope. We present 1293 precise radial velocity measurements for 129 stars, and highlight 6 potential substellar-mass companions, which require additional observations to confirm. Correcting for the substantial incompleteness in the sample, we estimate the occurrence rate of giant planets orbiting low-luminosity giant stars to be approximately $7.8_{-3.3}^{+9.1}$ per cent. This result is consistent with the frequency of such planets found to orbit main-sequence A-type stars, from which the PPPS stars have evolved.

Key words: techniques: radial velocities – planets and satellites: detection.

1 INTRODUCTION

With the discovery of the first planets orbiting other stars (e.g. Campbell, Walker & Yang 1988; Latham et al. 1989; Mayor & Queloz 1995), astronomers gained first insight into the degree to which the Solar system is unique. In the three decades since, the global search for exoplanets has led to the discovery of more than 4000 planets orbiting nearby stars. Those discoveries have revealed the diversity and ubiquity of planetary systems – with the great majority of systems discovered proving to be remarkably different from the Solar system (e.g. Petigura et al. 2013; Winn & Fabrycky 2015; Bryan et al. 2019).

The last decade has seen the dawn of the golden age of space-based transit discoveries, which has led to the number of known exoplanets climbing by more than an order of magnitude. As a result, more than 80 per cent of all currently confirmed exoplanets were first identified by the *Kepler* and *Transiting Exoplanet Survey Satellite* (*TESS*) space telescopes (Borucki et al. 2010; Ricker et al. 2015). Those missions have been wildly successful in expanding our understanding of planetary system properties and architectures (e.g. Lissauer et al. 2011, 2014; Raymond et al. 2018; Zhu 2019)

and, together with long-running radial velocity survey programs, have allowed us to study the occurrence rate of planets around solar-type and late-type stars (e.g. Endl et al. 2006; O’Toole et al. 2009; Fressin et al. 2013; Hardegree-Ullman et al. 2019). This has, in turn, opened a window on the planet formation history of the Galaxy, and has allowed conclusions to be drawn on the occurrence rate of true Solar system analogues (~ 24 per cent of planetary systems contain Earth-like planets, e.g. Barbato et al. 2018, and ~ 3 –6 per cent contain Jupiter analogues, e.g. Zechmeister et al. 2013; Wittenmyer et al. 2016c; Agnew, Maddison & Horner 2018; Borgniet et al. 2019).

While the situation for solar-type stars is now relatively understood, our knowledge of the occurrence and nature of planets around evolved stars remains relatively stunted. The main reason for this is that transit surveys intentionally bias against targeting stars that may be evolved. Such stars have larger radii, and hence the signal that results from planetary transits will be correspondingly diluted. The *Kepler* and *TESS* prime target lists selected against giant stars (e.g. Brown et al. 2011; Stassun et al. 2018), though the *TESS* full frame images are a valuable bias-free source of transit photometry for all types of stars. The confirmation of planet candidates transiting evolved stars, however, is frustrated not only by the smaller size of the signal, but also by intrinsic stellar variability, resulting in a high rate of false positives (e.g. Carter & Winn 2009; Mathur

* E-mail: rob.w@usq.edu.au

et al. 2012; Barclay et al. 2015). In recent years, some progress has been made by applying asteroseismic techniques to suitable evolved stars with transiting planet candidates (e.g. Quinn et al. 2015; Grunblatt et al. 2017; Chontos et al. 2019; Huber et al. 2019), but it seems likely that the problems inherent to detecting transiting planets orbiting evolved stars will continue to confound observers through the coming years.

To study the occurrence rates of planets orbiting evolved stars, other methods are needed. A number of radial velocity surveys have been targeting evolved stars for almost 20 yr, with the main scientific goal being to understand the properties of planetary systems orbiting stars more massive than our Sun. Those surveys began in an attempt to circumvent the challenges inherent to the radial velocity detection of planets orbiting massive stars.

The technical requirements imposed by Doppler exoplanetary detection mean that the most favourable main-sequence target stars lie in a narrow range of masses centred on $1 M_{\odot}$. Stars in this Sun-like mass range are cool enough and rotate slowly enough to present an abundance of narrow spectral absorption lines for accurate velocity determination. In contrast, however, more massive stars on the main sequence are too hot and rotate too rapidly for this technique to work. Main-sequence stars of higher mass have few usable absorption lines (due to their high temperatures), and also tend to be fast rotators ($v \sin i > 50 \text{ km s}^{-1}$; Galland et al. 2005) – which causes what spectral lines they do have to be sufficiently broad as to render them useless for the detection of planet-mass objects. In addition, the shorter main-sequence lifetimes of higher mass stars mean that they will preferentially be observed at younger ages. Furthermore, stars earlier than a spectral class of around F7 also have much shallower convection zones than late-type stars, and so do not experience the magnetic braking that slows the rotation of those late-type (lower mass) stars.

While massive main-sequence stars are poor choices for radial velocity observations, their evolved siblings present a far better target. In particular, subgiants and low-luminosity giants are ideal radial velocity targets because their surface gravities remain high enough ($\log g \gtrsim 3$) to avoid the large-amplitude pulsations common in red giants (Hekker et al. 2008), while still rotating slowly, and being cool enough to have the abundant, narrow spectral lines that facilitate radial velocity observations.

To learn more about the occurrence and properties of planets around more massive stars, several teams have been surveying so-called ‘retired A stars’, with a combined total of ~ 1000 targets and 10–15 yr of observations (e.g. Sato et al. 2005; Johnson et al. 2006; Jones et al. 2011; Reffert et al. 2015). These surveys have borne fruit, with more than 100 planets being found to date (e.g. Johnson et al. 2007a, 2011; Jones et al. 2011; Sato et al. 2012; Niedzielski et al. 2015; Wittenmyer et al. 2015a; Luhn et al. 2019). As a result, we are now beginning to understand the relationship between stellar mass and the abundance of giant planets, with strong indications that giant planets are more efficiently formed around more massive stars (e.g. Bowler et al. 2010; Maldonado, Villaver & Eiroa 2013; Jones et al. 2016; Wittenmyer et al. 2017a).

The Pan-Pacific Planet Search (PPPS; Wittenmyer et al. 2011c) is an international collaboration between Australia, China, and the US, with the aim of attacking this critical problem by obtaining precision radial velocity measurements of bright Southern hemisphere, evolved intermediate-mass stars. The mean properties of the PPPS sample, as fully detailed in Wittenmyer et al. (2016d), are $1.31^{+0.28}_{-0.25} M_{\odot}$, $\log g = 3.09 \pm 0.26$ dex, $[\text{Fe}/\text{H}] = -0.03 \pm 0.16$ dex, and $T_{\text{eff}} = 4812 \pm 166$ K. The PPPS operated on the Anglo-Australian Telescope (AAT) from 2009 to 2014, contributing to the

discovery of 15 planets orbiting evolved stars (Wittenmyer et al. 2011c, 2015a; Sato et al. 2013; Wittenmyer et al. 2016a,b). Unfortunately, due to shifting priorities in the Australian telescope time assignment process, this program and the 18 yr Anglo-Australian Planet Search (Tinney et al. 2001) were prematurely terminated in 2014, and many PPPS targets were left with inadequate sampling to confirm or refute emerging candidate signals. The PPPS had 37 targets in common with the EXPRESS survey of southern evolved stars (Jones et al. 2011, 2014), and in recent years, we have jointly published several planet discoveries where our combined data sets confirmed the signals seen in the data from one or other of those surveys (Jones et al. 2016, 2017; Wittenmyer et al. 2017a), and results that have included the most eccentric planet known to orbit an evolved star (Wittenmyer et al. 2017b).

This paper is the final instalment of the PPPS series. We release all the final radial velocity measurements in Section 2, and in Section 3, we describe a handful of potential candidates that require further observations to confirm. In Section 4, we perform an analysis of the detection limits from this survey and derive an estimate of the occurrence rate of giant planets orbiting evolved stars, before drawing our conclusions in Section 5.

2 OBSERVATIONAL DATA

We observed the PPPS target stars using the UCLES spectrograph (Diego et al. 1990) on the 3.9 m Anglo-Australian Telescope from 2009 February until 2015 January. UCLES achieved a resolution of 45 000 with a 1 arcsec slit, and we aimed to achieve a signal-to-noise ratio (S/N) of 100 at 5500 Å per spectral pixel at each epoch, resulting in exposure times ranging from 100 to 1200 s. An iodine absorption cell provided wavelength calibration from 5000 to 6200 Å. The spectrograph point spread function (PSF) and wavelength calibration are derived from the iodine absorption lines embedded on every pixel of the spectrum by the cell (Valenti, Butler & Marcy 1995; Butler et al. 1996). The result is a precision Doppler velocity estimate for each epoch, along with an internal uncertainty estimate, which includes the effects of photon counting uncertainties, residual errors in the spectrograph PSF model, and variation in the underlying spectrum between the iodine-free template and epoch spectra observed through the iodine cell. The photon-weighted mid-time of each exposure is determined by an exposure metre. All velocities are measured relative to the zero-point defined by the template observation. The iodine-free template spectrum for each star was obtained with the 0.75 arcsec slit for a resolution of 60 000 with S/N ~ 150 –300 per pixel. Table A1 gives the complete set of final radial velocities from 105 PPPS targets. Table A2 summarizes the final dispositions of all PPPS targets, e.g. published companion, candidate, or double-lined binary.

3 CANDIDATE SIGNALS

While all of the secure planet detections from this survey have been published, the truncated temporal nature of our data set makes it inevitable that some stars will exhibit radial-velocity (RV) variations suggestive of substellar companions that still require the acquisition of additional data to either confirm or refute. Since the main PPPS survey has been concluded, in the interest of completeness, we now describe 12 potential candidates that may warrant further follow-up. These candidates fall into two broad categories: those for which a tentative orbital period can be obtained, and unconstrained long-period signals. They were identified by examining those stars which had (1) at least 8 RV epochs (to enable a non-trivial Keplerian

Table 1. Orbital solutions for candidate companions.

Host	Period days	Eccentricity	ω degrees	T_c BJD-2400000	K m s^{-1}	$m \sin i$ M_{Jup}	a au
HD 6037	1125^{+47}_{-44}	$0.1^{+0.2}_{-0.1}$	354^{+229}_{-206}	55112^{+71}_{-66}	$36.6^{+6.8}_{-6.1}$	2.4 ± 0.5	2.39 ± 0.07
HD 13652	607 ± 22	0.0 (fixed)	0.0 (fixed)	54533^{+62}_{-63}	40^{+11}_{-12}	1.9 ± 0.7	1.51 ± 0.05
HD 114899	42.17 ± 0.14	$0.36^{+0.25}_{-0.2}$	52^{+74}_{-57}	$55097.7^{+5.6}_{-4.4}$	38^{+10}_{-15}	0.8 ± 0.2	0.272 ± 0.003
HD 126105	$538.8^{+7.6}_{-7.9}$	$0.22^{+0.15}_{-0.13}$	129^{+37}_{-44}	55204^{+26}_{-24}	$40.4^{+5.4}_{-4.9}$	1.55 ± 0.35	1.33 ± 0.02
HD 159743	$102.1^{+0.47}_{-0.40}$	$0.12^{+0.18}_{-0.08}$	29^{+178}_{-281}	$55063.7^{+5.0}_{-6.7}$	$32.8^{+5.8}_{-6.4}$	0.96 ± 0.19	0.484 ± 0.007
HD 205577	$1685.98^{+11.0}_{-0.09}$	$0.972^{+0.08}_{-0.002}$	127^{+16}_{-80}	48155^{+57}_{-51}	613^{+47}_{-150}	9.3 ± 2.3	2.87 ± 0.05
HD 37763	3680^{+330}_{-240}	0.52 ± 0.01	13 ± 3	53241^{+200}_{-270}	3935^{+82}_{-62}	262 ± 20	5.1 ± 0.3
HD 43429	3071^{+96}_{-100}	0.142 ± 0.003	248 ± 5	53651^{+81}_{-77}	5301^{+140}_{-150}	456 ± 29	5.0 ± 0.1
HD 115066	2817 ± 140	$0.31^{+0.06}_{-0.05}$	53^{+5}_{-6}	54610^{+45}_{-53}	466^{+78}_{-47}	35 ± 7	4.2 ± 0.2
HD 121156	3033^{+470}_{-420}	$0.13^{+0.07}_{-0.05}$	345^{+28}_{-14}	55280^{+37}_{-67}	635^{+82}_{-48}	54 ± 11	4.6 ± 0.4
HD 142132	6611^{+720}_{-600}	0.0 (fixed)	0.0 (fixed)	59063^{+300}_{-250}	2561^{+270}_{-220}	277 ± 47	8.0 ± 0.5
HD 145428	5377 ± 42	0.334 ± 0.003	309.3 ± 0.4	46270 ± 80	$3423.5^{+6.6}_{-6.3}$	336 ± 3	7.10 ± 0.11

fit attempt), and (2) root mean square (RMS) exceeding 15 m s^{-1} (about three times the typical jitter for these stars). We performed initial searches on those targets using a genetic algorithm to fit a single Keplerian orbit. If this resulted in a mass detection of at least 3σ with no large phase gaps, then we performed more detailed fits including a full MCMC parameter determination. Table 1, divided into substellar and stellar-mass candidates, gives the best-fitting parameters as derived from RADVEL (Fulton et al. 2018). We emphasize that at this time we cannot claim these objects to be confirmed companions, and we show these example fits merely to guide future follow-up efforts. Figs 1–3 show the data and the best fits for those where a plausible unique orbital solution could be obtained. Candidate minimum masses ($m \sin i$) were derived from the host-star masses as presented in Wittenmyer et al. (2016d), which presented complete spectroscopic stellar parameters for the PPPS sample.

For those stars with potential stellar-mass companions, we checked the *Gaia* DR2 results for astrometric or RV signatures of hidden massive bodies. The results of that search are summarized in Table 2. The lower section of Table 2 gives the *Gaia* DR2 notes for the 12 stars in the PPPS sample, which show large (km s^{-1}) RV variations indicative of stellar-mass companions, but for which we have too few observations to attempt an orbital solution. For nearby stars, high-contrast imaging can resolve the influencing body, yielding better constraints on the system parameters (e.g. Crepp et al. 2012; Rodrigues et al. 2016; Kane et al. 2019b), even when the object is not seen (e.g. Hirsch et al. 2019; Kane et al. 2019a). However, with our targets generally falling at distances of 150–300 pc, we do not expect that any stellar companions could typically be resolved in *Gaia* imaging, though we note that HD 110238 has a *Gaia* detected companion with common proper motion, which is the likely cause of the observed large-amplitude radial velocity variation in our PPPS data. For the very bright stars considered here ($G < 8$), the expected *Gaia* RV precision is typically better than about 0.4 km s^{-1} (Katz et al. 2019). Stars exhibiting significantly higher uncertainties in their measured absolute radial velocity may indicate binarity. We flag here those stars with RV errors more than 3σ too large. We have begun additional monitoring of the candidates in Table 1 as a ‘PPPS Legacy’ program with the MINERVA-Australis dedicated telescope array (Wittenmyer et al. 2018; Addison et al. 2019). For these bright stars and large candidate signals, MINERVA-Australis is easily able to obtain new precise RV measurements (e.g.

Nielsen et al. 2019; Vanderburg et al. 2019) over the coming years to clarify the nature of these objects.

4 DETECTION LIMITS

Often overshadowed by discoveries, the use of observational data to determine what was *not* found is of at least equal importance to the advancement of our understanding of exoplanetary populations. Previous work in this area has had the luxury of large amounts of data, derived from legacy RV surveys where it was eminently reasonable to impose minimum thresholds for the number of observations. Traditional injection-recovery tests have usually set a minimum of $N \sim 30$ RV data points to derive reliable detection limits (e.g. Wittenmyer et al. 2006; Cumming et al. 2008; Wittenmyer et al. 2011a). Similar efforts to derive detectabilities and occurrence rates from space-based photometry, such as that obtained by the *Kepler* mission, can make use of many thousands of observations to compute a sensitivity function (e.g. Christiansen et al. 2012, 2016; Coughlin et al. 2016; Zink, Christiansen & Hansen 2019). However, the field of radial velocity exoplanet detection is littered with the desiccated husks of surveys cut short before large quantities of data were obtained. In this section, we describe our efforts to glean useful constraints on the planets that can be excluded by our PPPS data. The median number of RV epochs in the PPPS data considered here is 8. Traditional periodogram approaches used to recover injected signals simply fail in this sparse regime.

4.1 Techniques

Meunier, Lagrange & De Bondt (2012) compared the performance of several detection limit methods on RV data sets from 10 stars with a variety of properties. Of interest for the present work are two methods which do not rely on the use of periodograms. First is the RMS method, based on the principles outlined in Galland et al. (2005) and reprised briefly in Meunier et al. (2012). For 1000 trial phases of a simulated planetary RV signal with a given period and mass (i.e. an RV amplitude, K), we ask whether the RMS of the simulated RV data (that of a planetary orbit sampled at the timestamps of the real data) is greater than the RMS of the original data. If all 1000 such realizations give an RMS higher than the real data, then we say that planetary signal is excluded by the data at

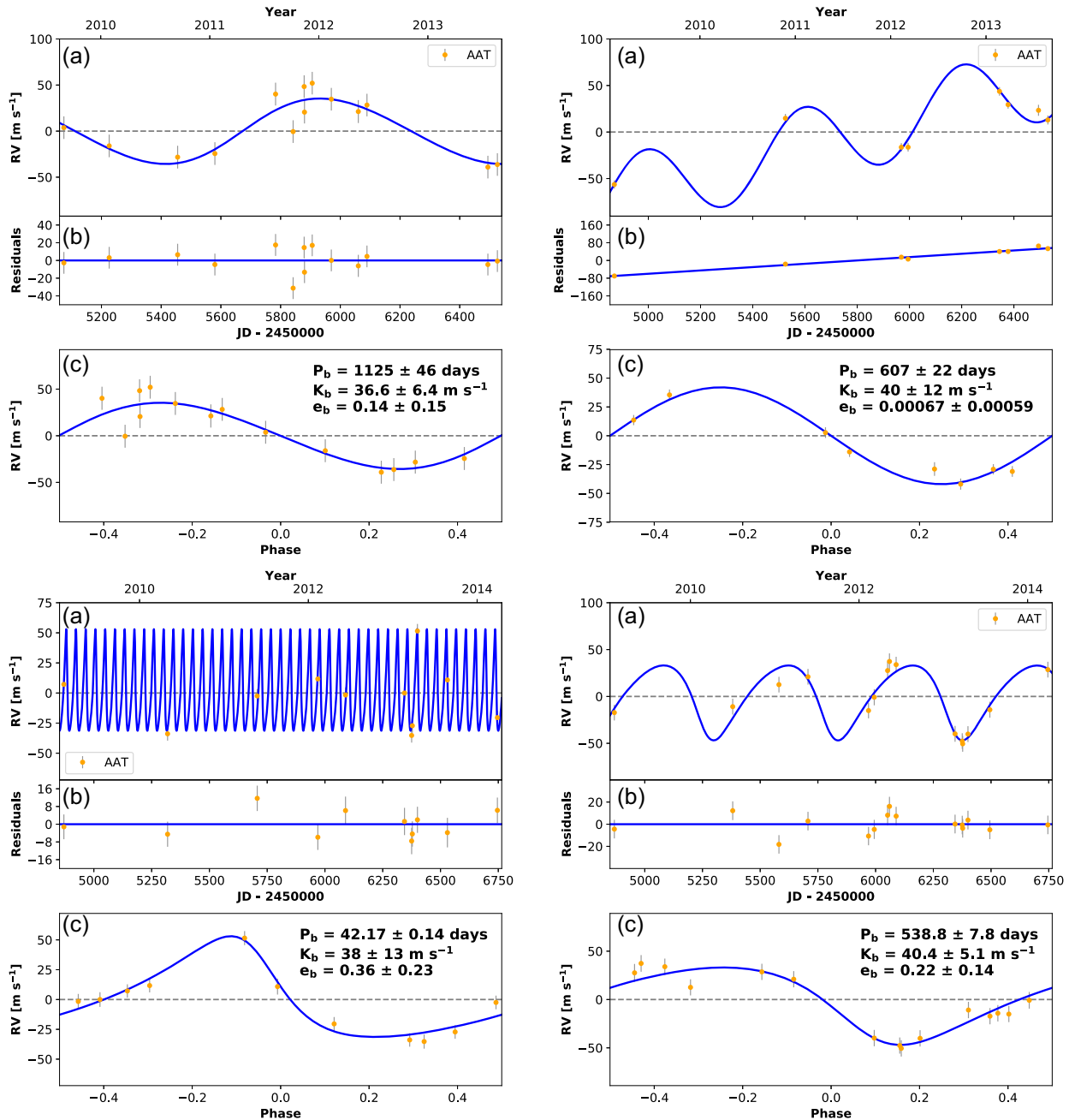


Figure 1. Data and model fits for candidates from the PPPS. The fits shown are tentative and require further observations to be confirmed. Clockwise from top left: HD 6037, HD 13652 (RV trend included), HD 114899, and HD 126105. For each candidate, we show the time series and phase-folded fits.

99.9 per cent confidence. Second is the F-test method, which is at its core an injection-recovery approach, except that the criterion for determining whether a signal is detectable is the F-test rather than a periodogram. We add a simulated planetary RV signal to the data, then perform an F-test to ask whether the two data sets (original and with added planetary signal) are significantly different at a 99.9 per cent confidence level. For both of these tests, we use injected signals on circular orbits with 100 trial periods from 2 to 3000 d, 100 values of orbital phase, and with RV amplitudes, K , from 1 to 200 m s^{-1} . The artificial signals are added to the existing RV data to capture the noise properties of each individual star. For all stars, we fitted and removed any Keplerian signals from confirmed or suspected objects (Table 1). The amplitude is increased until

the required fraction of signals are deemed detected by the criteria described above. We test six recovery rates: 99, 90, 70, 50, 30, and 10 per cent. This is identical to the approach in our previous work (e.g. Wittenmyer et al. 2010; Wittenmyer & Marshall 2015; Wittenmyer et al. 2016c), which used the generalized Lomb–Scargle periodogram (Zechmeister & Kürster 2009) as a detection criterion.

Recognizing that these two techniques are quite different from the well-tested periodogram approach of our previous work, we wish to check for any systematic differences between the RMS test and F-test against the ‘standard’ detection criterion. We seek to determine which of these two methods delivers results consistent with the periodogram method. To do so, we bring both techniques to bear on the Anglo-Australian Planet Search data set that was

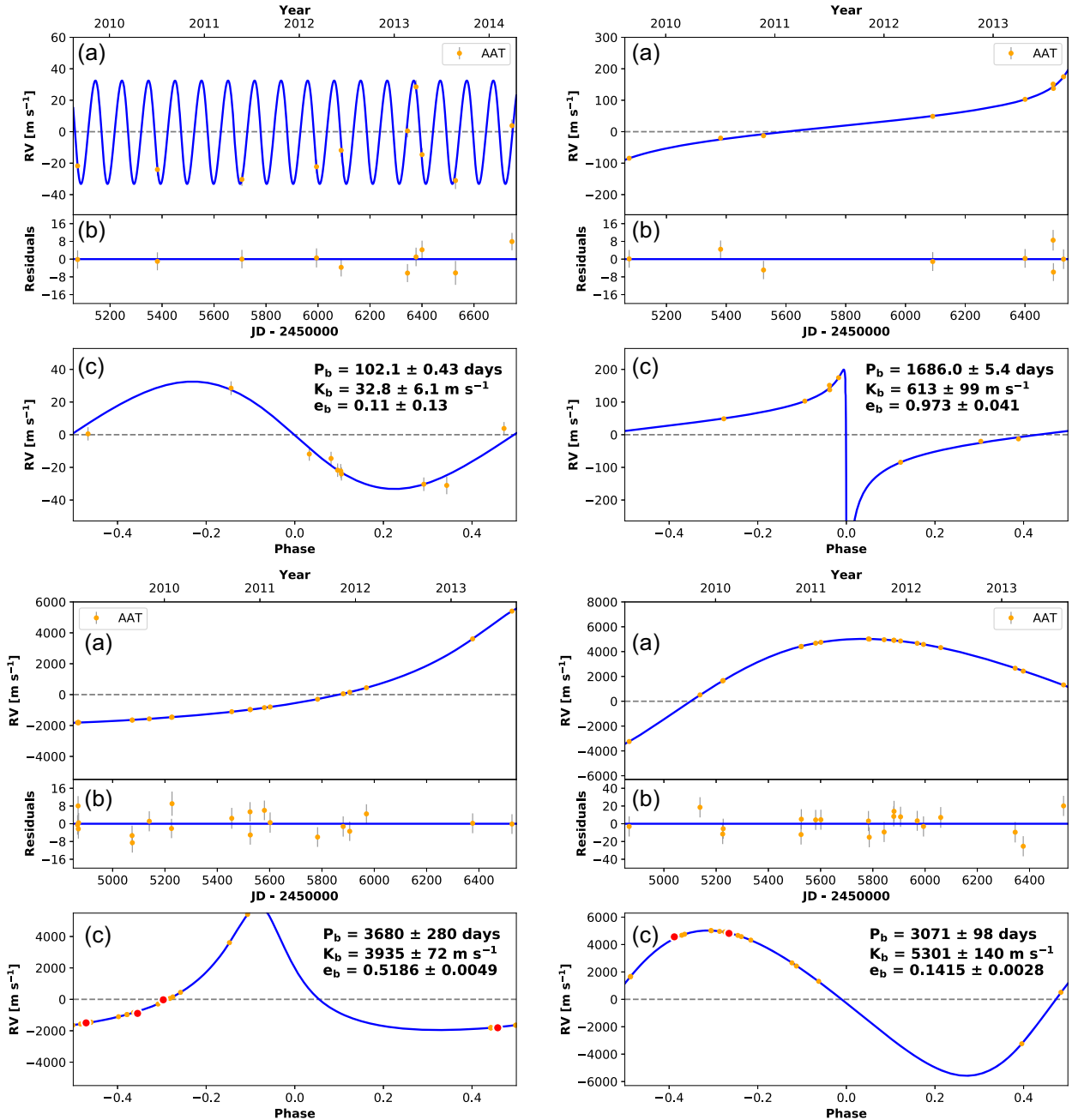


Figure 2. Data and model fits for candidates from the PPPS. The fits shown are tentative and require further observations to be confirmed. Clockwise from top left: HD 159743, HD 205577, HD 37763, and HD 43429. For each candidate, we show the time series and phase-folded fits.

used in Wittenmyer et al. (2016c) to assess the occurrence rate of Jupiter analogues. We use the full RV data set for the 203 stars examined in that work, and apply both the RMS test and F-test to derive detection limits for 100 trial periods between 2 and 3000 d as described above. Each trial period produces an RV amplitude that is recovered at the 99 per cent level. For each star, we then compute the mean of these 100 RV amplitudes over all periods as the 99 per cent detection limit \bar{K} . To compare the consistency of the various techniques, we then examine the ratio of \bar{K} as derived from the periodogram test (Wittenmyer et al. 2016c) to the values of \bar{K} obtained for that same RV data set using the RMS and F-tests. Fig. 4 shows the distribution of those ratios. As shown in the left-hand panel of Fig. 4, the F-test method delivers results that are more

consistent, i.e. the distribution is more normal, with a mean ratio of approximately 1. We therefore adopt the F-test method for all analysis of detection limits in this work.

4.2 Occurrence rate of planets around evolved stars

To determine the underlying occurrence rate of planets around the low-luminosity giants in our sample, we follow the procedure established in our previous work on occurrence rates (e.g. Wittenmyer et al. 2011a, b, 2016c). That is, we correct the number of secure detections for the survey incompleteness, to account for planets that may have been missed. One key difference in this work is that

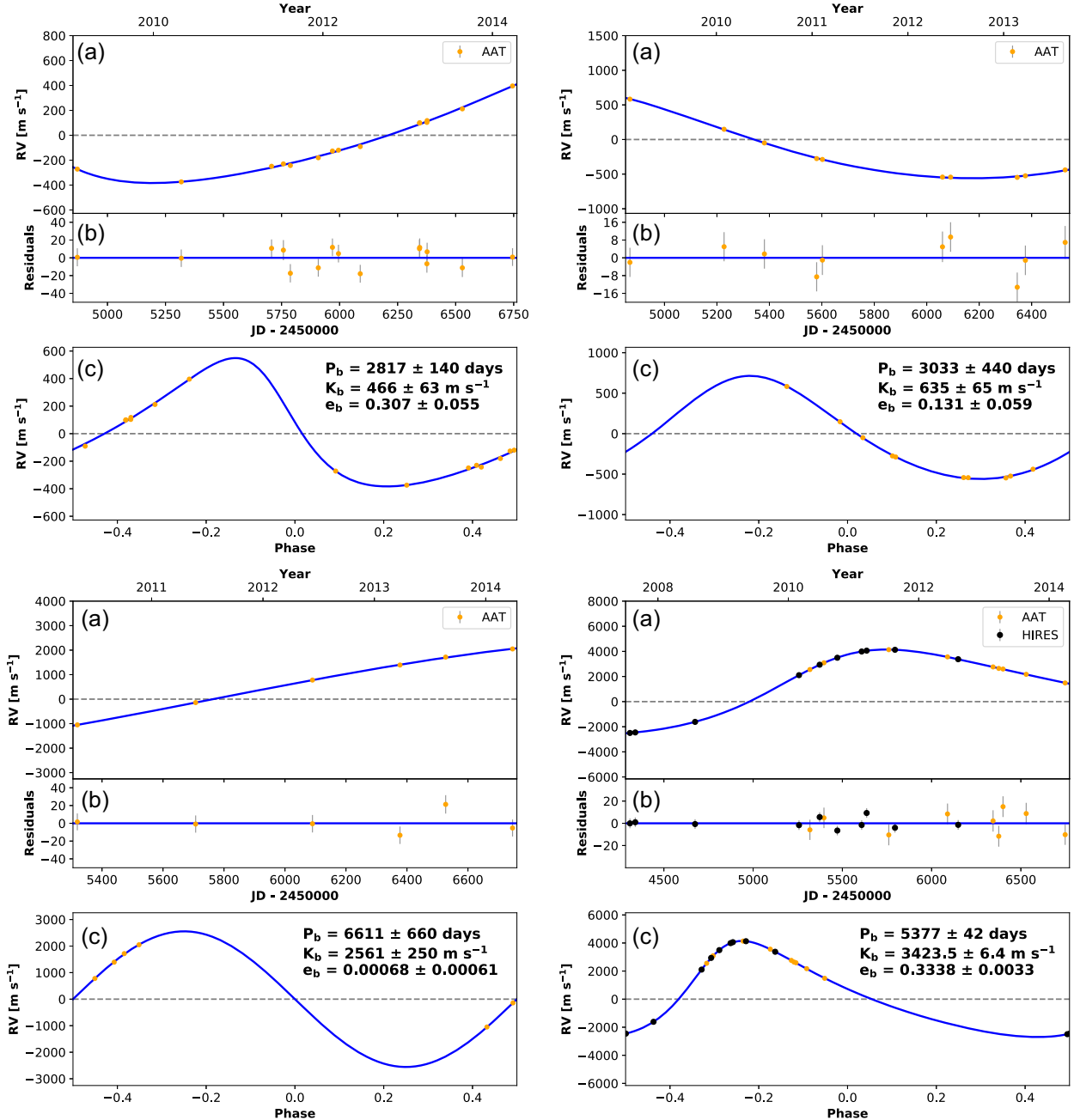


Figure 3. Data and model fits for candidates from the PPPS. The fits shown are tentative and require further observations to be confirmed. Clockwise from top left: HD 115066, HD 121156, HD 142132, and HD 145428. For each candidate, we show the time series and phase-folded fits.

our PPPS sample has some overlap with the EXPRESS survey of Jones et al. (2011), and in recent years, we have combined efforts to detect planets that our individual data sets could not. In this section, we consider only those 85 PPPS stars that do not overlap with the EXPRESS targets; the common stars will be considered in a separate analysis (Wolthoff et al., in preparation) combined with data from the Lick programme (Reffert et al. 2015).

Our PPPS-only sample contains observations of 85 stars, from which we have so far confirmed just three exoplanets; the remaining published discoveries from our data were made with the assistance of data from EXPRESS, and so for the purposes of a uniform sample, we exclude those stars and the planet confirmed in orbit around them. For each detected planet, we estimate the probability of having detected a planet of that specific period and mass using the results of

the injection/recovery simulations described above, summed over the entire sample. This is accomplished by computing two quantities for each detected planet. First, for the specific period and mass of the detected planet in question, we calculate the completeness fraction $f_c(P, M)$ for the *non-hosts* in the sample:

$$f_c(P, M) = \frac{1}{N_{\text{stars}}} \sum_{i=1}^N f_{R,i}(P, M), \quad (1)$$

where $f_R(P, M)$ is the recovery rate as a function of mass at period P , and N is the total number of stars not hosting a planet ($N = 82$). In this way, we account for the detectabilities for each star individually, at each of the 100 trial periods. The result is the probability that a planet with a given P and M would have been detected in the overall

Table 2. *Gaia* DR2 notes on potential stellar-mass companions.

Star	$m \sin i$ M_{\odot}	Notes
HD 37763	0.29	No excess astrometric noise
HD 43429	0.62	54.7 σ excess astrometric noise
HD 142132	0.30	No excess astrometric noise
HD 145428	0.38	No excess astrometric noise
HD 5676	–	No excess astrometric noise
HD 11653	–	No excess astrometric noise
HD 14791	–	55.5 σ excess astrometric noise
HD 51268	–	No excess astrometric noise
HD 84070	–	349.6 σ excess astrometric noise
HD 104819	–	<i>Gaia</i> RV error 5 σ too large. 46.7 σ excess astrometric noise
HD 110238	–	<i>Gaia</i> RV error 8.3 σ too large. CPM companion at $\Delta G = 8.9$
HD 124087	–	No excess astrometric noise
HD 166309	–	No excess astrometric noise
HD 181809	–	<i>Gaia</i> RV error 7.9 σ too large.
HD 204057	–	<i>Gaia</i> RV error 11 σ too large.
HD 222768	–	<i>Gaia</i> RV error 4.1 σ too large.

sample. Secondly, we calculate the recovery rate $f_R(P_i, M_i)$ for each detected planet, at the period and mass of that planet. This represents the probability of having detected that specific planet given the data for that specific star. These two quantities are then combined in equation (2) to derive the number of expected detections given the data, and so the number of ‘missed’ planets:

$$N_{\text{missed}} = \sum_{i=1}^{N_{\text{hosts}}} \frac{1}{f_{R,i}(P_i, M_i) f_c(P_i, M_i)} - N_{\text{hosts}}, \quad (2)$$

where the symbols have the same meaning as given above. The occurrence rate of planets in a sample is first estimated as simply the number of detections divided by the total number of stars, using binomial statistics. The completeness correction in equation (2) is then used to boost the occurrence rates and their uncertainties by a factor of $(N_{\text{missed}} + N_{\text{detected}})/N_{\text{detected}}$ to reflect the imperfect detec-

tion efficiency of our observational data. Applying this procedure to the PPPS-only sample yields a corrected giant planet occurrence rate of $7.8^{+9.1}_{-3.3}$ per cent for orbital periods less than about 5 yr (i.e. the duration of the PPPS observations).

We note in passing that before performing the injection-recovery tests, we removed the tentative Keplerian signals presented in Table 1 from the RV data for those 12 stars. If we do not remove those candidate signals, it is clear that the resulting detection limit will be inflated. Particularly, for the six stellar-mass candidates, the result becomes essentially useless as the scatter of the original data is of the order of hundreds of m s^{-1} . As per the techniques presented here (equation 1), those stars then contribute virtually zero detectability information to the sample, and hence the occurrence rates derived from the overall sample will be inflated to reflect the increased number of ‘missed planets’. The result, in turn, is

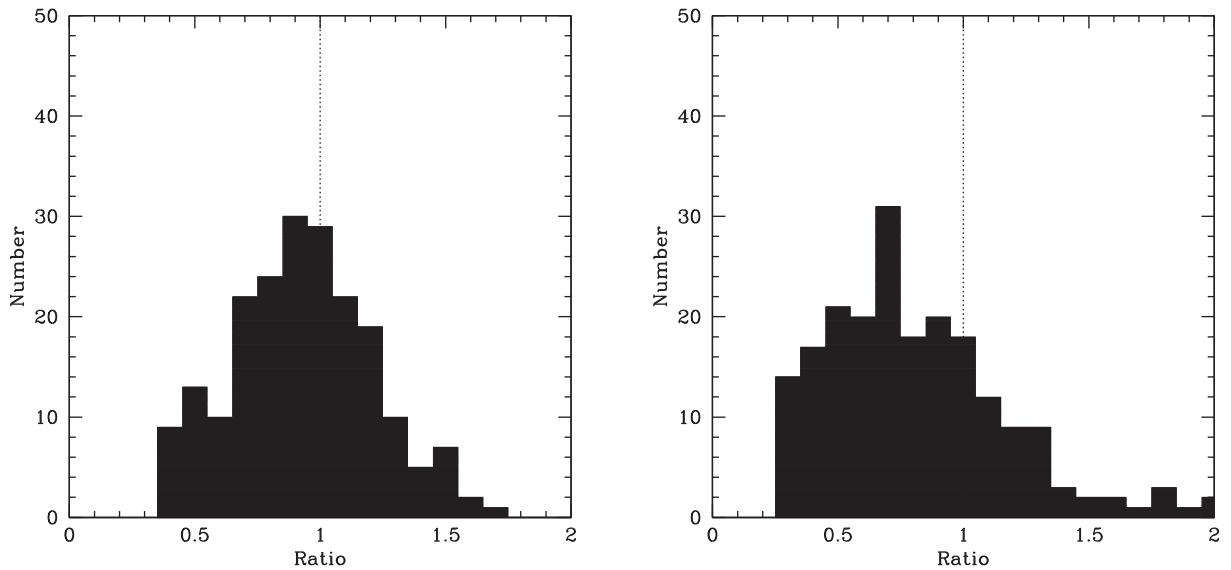


Figure 4. Left: Ratio of mean K detectable from the F-test method versus the periodogram method from our prior work. Right: Same, but for the RMS method. The F-test method delivers more consistent results and is adopted for our further analysis.

a higher (but consistent) occurrence rate with larger uncertainties: $9.2^{+10.8}_{-3.9}$ per cent.

5 SUMMARY AND CONCLUSION

Early estimates of the overall planet occurrence rate for evolved intermediate-mass stars suggested that ~ 9 per cent of such stars should host a Jupiter-mass planet (Johnson et al. 2007b). The data examined here are not of sufficient quantity or quality to consider the detection of lower mass planets, and so we restrict our discussion to giant planets ($m \sin i \gtrsim 0.5 M_{\text{Jup}}$) with orbital periods less than 5 yr. Despite this restriction, our result is in broad agreement with that of Johnson et al. (2007b), and with the 8.5 ± 1.3 per cent giant-planet occurrence rate for such planets orbiting main-sequence stars, as derived by Cumming et al. (2008).

For some time, an observed paucity of giant planets with $a \lesssim 0.5$ au orbiting evolved stars has been a subject of interest (e.g. Bowler et al. 2010; Johnson et al. 2010a; Wittenmyer et al. 2015b). The main question has been whether the populations of such close-in planets are different between main-sequence A stars and those ‘retired’ A stars as we have examined in the PPPS and other surveys (e.g. Villaver & Livio 2009; Villaver et al. 2014; Veras 2016). Zhou et al. (2019) examined the occurrence rates of hot Jupiters orbiting main-sequence AFG-type stars (spanning the host-star mass range of the PPPS sample: Wittenmyer et al. 2016d), and derived a rate of 0.41 ± 0.10 per cent, consistent with the occurrence rate for solar-type hosts (Deleuil et al. 2018; Petigura et al. 2018). Though our PPPS sample is limited, we do achieve relatively high completeness for hot Jupiters ($P < 10$ d); with zero detections, the binomial theorem yields an upper limit of 2.7 per cent, which is in agreement with the result of Zhou et al. (2019) for main-sequence AFG stars (from which the PPPS population is presumed to have evolved).

The sample considered here, of the 85 PPPS stars that are not in common with other surveys, contained only three confirmed exoplanet detections. When the PPPS is considered as a whole, the survey yielded a further 11 planet hosts amongst the 37 stars in common with the EXPRESS survey. If we were to include those stars in the analysis described in this work, we would instead derive an overall planet occurrence rate of $31.5^{+12.2}_{-8.2}$ per cent, which would be consistent with the Bowler et al. (2010) result of 26^{+9}_{-8} per cent resulting from seven detections among 28 subgiant stars. We also note that the next *Gaia* data release, which is expected to include full astrometric orbital solutions, may serve to clarify the nature of the seven large-amplitude signals presented in Table 1, and may also resolve the mysteries of the sparsely observed objects in Table 2.

Taken in concert with other works, our results highlight once again the critical importance of exoplanet surveys with long temporal baselines in driving our understanding of the occurrence of planets moving on long-period orbits. As current and future radial velocity surveys (such as MINERVA-Australis) begin to take up the reins from the previous generation (such as the Anglo-Australian Planet Search and the PPPS), and as the astrometric results from *Gaia* become available, we should finally begin to uncover the true diversity of planets moving on longer period orbits. Those results will help us to place our own planetary system in context – revealing the presence of Jupiter and Saturn analogues, and eventually the abundance of ice giants, like Uranus and Neptune. By studying evolved stars, and stars both more massive and smaller than our Sun, we will learn the degree to which the Solar system is an unusual product of its environment, or is instead typical of the myriad planetary systems in our galaxy.

ACKNOWLEDGEMENTS

We acknowledge the traditional owners of the land on which the AAT stands, the Gamilaraay people, and pay our respects to elders past and present. This material is based upon work supported by the National Science Foundation under Grant Nos. 1559487 and 1559505. This research has made use of NASA’s Astrophysics Data System (ADS), and the SIMBAD data base, operated at CDS, Strasbourg, France.

REFERENCES

- Addison B. et al., 2019, *PASP*, 131, 115003
 Agnew M. T., Maddison S. T., Horner J., 2018, *MNRAS*, 477, 3646
 Barbato D., Bonomo A. S., Sozzetti A., Morbidelli R., 2018, preprint (arXiv: 1811.08249)
 Barclay T., Endl M., Huber D., Foreman-Mackey D., Cochran W. D., MacQueen P. J., Rowe J. F., Quintana E. V., 2015, *ApJ*, 800, 46
 Bluhm P. et al., 2016, *A&A*, 593, A133
 Borgniet S. et al., 2019, *A&A*, 621, A87
 Borucki W. J. et al., 2010, *Science*, 327, 977
 Bowler B. P. et al., 2010, *ApJ*, 709, 396
 Brown T. M., Latham D. W., Everett M. E., Esquerdo G. A., 2011, *AJ*, 142, 112
 Bryan M. L., Knutson H. A., Lee E. J., Fulton B. J., Batygin K., Ngo H., Meshkat T., 2019, *AJ*, 157, 52
 Butler R. P., Marcy G. W., Williams E., McCarthy C., Dossanah P., Vogt S. S., 1996, *PASP*, 108, 500
 Campbell B., Walker G. A. H., Yang S., 1988, *ApJ*, 331, 902
 Carter J. A., Winn J. N., 2009, *ApJ*, 704, 51
 Chontos A. et al., 2019, *AJ*, 157, 192
 Christiansen J. L. et al., 2012, *PASP*, 124, 1279
 Christiansen J. L. et al., 2016, *ApJ*, 828, 99
 Coughlin J. L., 2016, *ApJS*, 224, 12
 Crepp J. R. et al., 2012, *ApJ*, 761, 39
 Cumming A., Butler R. P., Marcy G. W., Vogt S. S., Wright J. T., Fischer D. A., 2008, *PASP*, 120, 531
 Deleuil M. et al., 2018, *A&A*, 619, A97
 Diego F., Charalambous A., Fish A. C., Walker D. D., 1990, in David L. C., ed., Proc. SPIE Conf. Ser. Vol. 1235, Instrumentation in Astronomy VII. SPIE, Bellingham, p. 562
 Endl M., Cochran W. D., Kürster M., Paulson D. B., Wittenmyer R. A., MacQueen P. J., Tull R. G., 2006, *ApJ*, 649, 436
 Fressin F. et al., 2013, *ApJ*, 766, 81
 Fulton B. J., Petigura E. A., Blunt S., Sinukoff E., 2018, *PASP*, 130, 044504
 Galland F., Lagrange A.-M., Udry S., Chelli A., Pepe F., Queloz D., Beuzit J. -L., Mayor M., 2005, *A&A*, 443, 337
 Grunblatt S. K. et al., 2017, *AJ*, 154, 254
 Hardegree-Ullman K. K., Cushing M. C., Muirhead P. S., Christiansen J. L., 2019, *AJ*, 158, 75
 Hekker S., Snellen I. A. G., Aerts C., Quirrenbach A., Reffert S., Mitchell D. S., 2008, *A&A*, 480, 215
 Hirsch L. A. et al., 2019, *ApJ*, 878, 50
 Huber D. et al., 2019, *AJ*, 157, 245
 Johnson J. A., Marcy G. W., Fischer D. A., Henry G. W., Wright J. T., Isaacson H., McCarthy C., 2006, *ApJ*, 652, 1724
 Johnson J. A. et al., 2007a, *ApJ*, 665, 785
 Johnson J. A., Butler R. P., Marcy G. W., Fischer D. A., Vogt S. S., Wright J. T., Peek K. M. G., 2007b, *ApJ*, 670, 833
 Johnson J. A. et al., 2010a, *ApJ*, 721, L153
 Johnson J. A. et al., 2011, *ApJS*, 197, 26
 Jones M. I., Jenkins J. S., Rojo P., Melo C. H. F., 2011, *A&A*, 536, A71
 Jones M. I., Jenkins J. S., Bluhm P., Rojo P., Melo C.H.F., 2014, *A&A*, 566, A113
 Jones M. I. et al., 2016, *A&A*, 590, A38
 Jones M. I., Brahm R., Wittenmyer R. A., Drass H., Jenkins J. S., Melo C. H. F., Vos J., Rojo P., 2017, *A&A*, 602, A58

- Kane S. R., Dalba P. A., Horner J., Li Z., Wittenmyer R. A., Horch E. P., Howell S. B., Everett M. E., 2019a, *ApJ*, 875, 74
- Kane S. R. et al., 2019b, *AJ*, 157, 252
- Katz D. et al., 2019, *A&A*, 622, A205
- Latham D. W., Mazeh T., Stefanik R. P., Mayor M., Burki G., 1989, *Nature*, 339, 38
- Lissauer J. J. et al., 2011, *ApJS*, 197, 8
- Lissauer J. J. et al., 2014, *ApJ*, 784, 44
- Luhn J. K., Bastien F. A., Wright J. T., Johnson J. A., Howard A. W., Isaacson H., 2019, *AJ*, 157, 149
- Maldonado J., Villaver E., Eiro a C., 2013, *A&A*, 554, A84
- Mathur S. et al., 2012, *ApJ*, 749, 152
- Mayor M., Queloz D., 1995, *Nature*, 378, 355
- Meunier N., Lagrange A.-M., De Bondt K., 2012, *A&A*, 545, A87
- Niedzielski A., Wolszczan A., Nowak G., Adamów M., Kowalik K., Maciejewski G., Deka-Szymankiewicz B., Adamczyk M., 2015, *ApJ*, 803, 1
- Nielsen L. D., et al., 2019, *A&A*, 623, A100
- O'Toole S. J., Jones H. R. A., Tinney C. G., Butler R. P., Marcy G. W., Carter B., Bailey J., Wittenmyer R. A., 2009, *ApJ*, 701, 1732
- Petigura E. A., Howard A. W., Marcy G. W., 2013, *Proc. Natl. Acad. Sci.*, 110, 19273
- Petigura E. A. et al., 2018, *AJ*, 155, 89
- Quinn S. N. et al., 2015, *ApJ*, 803, 49
- Raymond S. N., Izidoro A., Morbidelli A., 2018, preprint ([arXiv:1812.01033](https://arxiv.org/abs/1812.01033))
- Reffert S., Bergmann C., Quirrenbach A., Trifonov T., Künstler A., 2015, *A&A*, 574, A116
- Ricker G. R. et al., 2015, *J. Astron. Telesc., Instrum., Syst.*, 1, 014003
- Rodigas T. J. et al., 2016, *ApJ*, 831, 177
- Sato B., Kambe E., Takeda Y., Izumiura H., Masuda S., Ando H., 2005, *PASJ*, 57, 97
- Sato B. et al., 2012, *PASJ*, 64, 135
- Sato B. et al., 2013, *ApJ*, 762, 9
- Stassun K. G. et al., 2018, *AJ*, 156, 102
- Tinney C. G., Butler R. P., Marcy G. W., Jones H. R. A., Penny A. J., Vogt S. S., Apps K., Henry G. W., 2001, *ApJ*, 551, 507
- Valenti J. A., Butler R. P., Marcy G. W., 1995, *PASP*, 107, 966
- Vanderburg A. et al., 2019, *ApJ*, 881, L19
- Veras D., 2016, *R. Soc. Open Sci.*, 3, 150571
- Villaver E., Livio M., 2009, *ApJ*, 705, L81
- Villaver E., Livio M., Mustill A. J., Siess L., 2014, *ApJ*, 794, 3
- Winn J. N., Fabrycky D. C., 2015, *ARA&A*, 53, 409
- Wittenmyer R. A., Marshall J. P., 2015, *AJ*, 149, 86
- Wittenmyer R. A., Endl M., Cochran W. D., Hatzes A. P., Walker G. A. H., Yang S. L. S., Paulson D. B., 2006, *AJ*, 132, 177
- Wittenmyer R. A., O'Toole S. J., Jones H. R. A., Tinney C. G., Butler R. P., Carter B. D., Bailey J., 2010, *ApJ*, 722, 1854
- Wittenmyer R. A., Tinney C. G., O'Toole S. J., Jones H. R. A., Butler R. P., Carter B. D., Bailey J., 2011a, *ApJ*, 727, 102
- Wittenmyer R. A., Tinney C. G., Butler R. P., O'Toole S. J., Jones H. R. A., Carter B. D., Bailey J., Horner J., 2011b, *ApJ*, 738, 81
- Wittenmyer R. A., Endl M., Wang L., Johnson J. A., Tinney C. G., O'Toole S. J., 2011c, *ApJ*, 743, 184
- Wittenmyer R. A., Wang L., Liu F., Horner J., Endl M., Johnson J. A., Tinney C. G., Carter B. D., 2015a, *ApJ*, 800, 74
- Wittenmyer R. A., Gao D., Hu S. M., Villaver E., Endl M., Wright D., 2015b, *PASP*, 127, 1021
- Wittenmyer R. A., Butler R. P., Wang L., Bergmann C., Salter G. S., Tinney C. G., Johnson J. A., 2016a, *MNRAS*, 455, 1398
- Wittenmyer R. A. et al., 2016b, *ApJ*, 818, 35
- Wittenmyer R. A. et al., 2016c, *ApJ*, 819, 28
- Wittenmyer R. A., Liu F., Wang L., Casagrande L., Johnson J. A., Tinney C. G., 2016d, *AJ*, 152, 19
- Wittenmyer R. A., Jones M. I., Zhao J., Marshall J. P., Butler R. P., Tinney C. G., Wang L., Johnson J. A., 2017a, *AJ*, 153, 51
- Wittenmyer R. A. et al., 2017b, *AJ*, 154, 274
- Wittenmyer R. A., Horner J., Carter B. D., Kane S. R., Plavchan P., Ciardi D., The MINERVA-Australis Consortium, 2018, preprint ([arXiv:1806.09282](https://arxiv.org/abs/1806.09282))
- Zechmeister M., Kürster M., 2009, *A&A*, 496, 577
- Zechmeister M. et al., 2013, *A&A*, 552, A78
- Zhou G. et al., 2019, *AJ*, 158, 141
- Zhu W., 2019, preprint ([arXiv:1907.02074](https://arxiv.org/abs/1907.02074))
- Zink J. K., Christiansen J. L., Hansen B. M. S., 2019, *MNRAS*, 483, 4479

SUPPORTING INFORMATION

Supplementary data are available at [MNRAS online](https://www.mnras.org/online).

Table A1. Complete AAT radial velocity results.

Please note: Oxford University Press is not responsible for the content or functionality of any supporting materials supplied by the authors. Any queries (other than missing material) should be directed to the corresponding author for the article.

APPENDIX A: SOME EXTRA MATERIAL

Table A1. Complete AAT radial velocity results. The full version of this table is available online.

Star	BJD	RV (m s ⁻¹)	Uncertainty (m s ⁻¹)
HD100939	2454868.10568	-97.90	2.46
HD100939	2455969.15781	-8.99	2.14
HD100939	2456376.00168	12.65	2.32
HD100939	2456399.99654	14.99	2.24
HD100939	2456745.08010	0.00	2.29
HD103047	2454869.23069	-209.69	2.24
HD103047	2455971.08663	-9.80	1.96
HD103047	2456059.99580	11.14	4.41
HD103047	2456345.08543	108.65	2.52
HD103047	2456377.03895	115.52	2.38

Table A2. Summary of dispositions for PPPS targets. Double-lined binary stars (SB2) cannot be used for radial velocity determination, and are reported as having zero observations.

Star	N_{obs}	Comments
224910	8	-
749	0	SB2
1817	14	-
4145	9	Linear trend, $+15.7 \pm 0.4 \text{ m s}^{-1} \text{ yr}^{-1}$
5676	6	Stellar-mass candidate (Table 2)
5873	0	SB2
5877	0	SB2
6037	14	Substellar candidate (Table 1)
7931	5	-
9218	24	-
9925	5	-
10731	6	-
11343	6	Planet, Jones et al. (2016)
11653	3	Stellar-mass candidate (Table 2)
12974	3	-
13471	7	-
13652	8	Substellar candidate (Table 1)

Table A2 – continued

Star	N_{obs}	Comments
14805	6	–
14791	4	Stellar-mass candidate (Table 2)
15414	5	–
19810	3	–
20035	0	SB2
20924	13	–
24316	7	–
25069	15	–
28901	15	–
29399	22	Strong activity cycle, Wittenmyer et al. (2017a)
31860	0	SB2
34851	9	Binary, Wittenmyer et al. (2016a)
33844	20	Planets, Wittenmyer et al. (2016b)
37763	20	Stellar-mass candidate (Table 1)
39281	13	–
40409	27	Linear trend, $-23.0 \pm 0.2 \text{ m s}^{-1} \text{ yr}^{-1}$
43429	20	Stellar-mass candidate (Table 1)
46122	0	SB2
46262	16	–
47141	14	–
47205	27	Planet, Wittenmyer et al. (2011c)
51268	16	Stellar-mass candidate (Table 2)
58540	0	SB2
59663	11	–
67644	12	–
72467	12	–
76321	0	SB2
76437	15	Linear trend, $+6.5 \pm 0.3 \text{ m s}^{-1} \text{ yr}^{-1}$
76920	17	Planet, Wittenmyer et al. (2017b)
80275	8	Linear trend, $+14.6 \pm 0.4 \text{ m s}^{-1} \text{ yr}^{-1}$
81410	0	SB2
84070	7	Stellar-mass candidate (Table 2)
85128	8	–
85035	24	–
86359	6	–
87089	9	Quadratic trend
86950	20	Planet, Wittenmyer et al. (2017a)
HIP50638	9	–
94386	14	Binary, Wittenmyer et al. (2016a)
95900	10	–
98516	16	–
98579	0	SB2
100939	5	Planet, Jones et al. (in preparation)
103047	5	–
104358	12	Binary, Wittenmyer et al. (2016a)
104704	6	Linear trend, $+9.2 \pm 0.4 \text{ m s}^{-1} \text{ yr}^{-1}$
104819	3	Stellar-mass candidate (Table 2)
105096	9	Quadratic trend
105811	9	Binary, (Bluhm et al. 2016)
106314	11	–
108991	16	–
109866	9	–
110238	5	Stellar-mass candidate (Table 2)
114899	11	Substellar candidate (Table 1)
115066	15	Stellar-mass candidate (Table 1)
115202	20	–
117434	3	–
121056	19	Planets, Wittenmyer et al. (2015a)
121156	10	Stellar-mass candidate (Table 1)
121930	10	–
124087	7	Stellar-mass candidate (Table 2)
125774	7	–
126105	15	Substellar candidate (Table 1)
130048	13	–

Table A2 – continued

Star	N_{obs}	Comments
131182	5	–
132396	16	–
133166	0	SB2
133670	16	–
134443	7	–
134692	7	–
135760	13	Planet, Jones et al. (2016)
135872	3	Linear trend, $+40.5 \pm 1.4 \text{ m s}^{-1} \text{ yr}^{-1}$
136295	15	Planet, Jones et al. (in preparation)
137115	3	–
137164	0	SB2
136135	5	Quadratic trend
138061	4	–
138716	18	–
138973	4	Quadratic trend
142132	6	Stellar-mass candidate (Table 1)
142384	0	SB2
143561	5	–
144073	7	–
145428	9	Stellar-mass candidate, Luhn et al. (2019) and Table 1
148760	13	Quadratic trend
153438	0	SB2
154250	7	–
155233	21	Planet, Wittenmyer et al. (2016a)
154556	12	–
159743	10	Substellar candidate (Table 1)
162030	20	–
166309	5	Stellar-mass candidate (Table 2)
166476	4	Linear trend, $+15.1 \pm 0.5 \text{ m s}^{-1} \text{ yr}^{-1}$
170707	4	Planet, Jones et al. (in preparation)
170286	8	–
173902	16	Quadratic trend
176002	10	–
175304	4	–
177897	7	–
176794	0	SB2
181342	5	Planet, Jones et al. (2016)
181809	7	Stellar-mass candidate (Table 2)
188981	16	Binary, Wittenmyer et al. (2016a)
191067	6	–
196676	6	Quadratic trend
199809	4	Linear trend, $+23.0 \pm 0.4 \text{ m s}^{-1} \text{ yr}^{-1}$
200073	14	Linear trend, $+74.1 \pm 0.3 \text{ m s}^{-1} \text{ yr}^{-1}$
201931	11	–
204073	11	–
204057	3	Stellar-mass candidate (Table 2)
204203	0	SB2
205577	8	Substellar candidate (Table 1)
205972	7	–
208431	6	–
208791	4	–
208897	3	–
214573	12	–
216640	21	–
218266	6	–
219553	9	Planet, Jones et al. (in preparation)
222076	11	Planet, Wittenmyer et al. (2017a)
222768	3	Stellar-mass candidate (Table 2)
223301	5	–
223860	4	–

This paper has been typeset from a $\text{\TeX}/\text{\LaTeX}$ file prepared by the author.